Intensive variables: 
$$\alpha = -\frac{\mu}{T}$$
,  $\beta = \frac{1}{T}$ ,  $\gamma = \frac{p}{T}$ 

The following four thermodynamic potentials are related to each other via Legendre transform.

Entropy (microcanonical potential):

$$S(U, V, N) = \alpha N + \beta U + \gamma V, \quad dS = \alpha dN + \beta dU + \gamma dV$$

Massieu function (canonical potential):

$$\Phi(\beta, V, N) = S - \beta U = -A(T, V, N)/T, \quad d\Phi = \alpha dN - Ud\beta + \gamma dV$$

Kramers function (grandcanonical potential):

$$\Psi(\beta, V, \alpha) = S - \beta U - \alpha N = -\Omega(T, V, \mu)/T, \quad d\Psi = -Nd\alpha - Ud\beta + \gamma dV$$

Planck function:

$$\Pi(\beta, \gamma, N) = S - \beta U - \gamma V = -G(T, p, N)/T, \quad d\Pi = \alpha dN - Ud\beta - Vd\gamma$$

Gibbs-Duhem relation:  $Nd\alpha + Ud\beta + Vd\gamma = 0$ 

Distinct properties:

- Any spontaneous i.e. irreversible process at constant values of the natural independent variables is accompanied by an *increase* of the associated thermodynamic potential.
- The equilibrium state for fixed values of a set of natural independent variables is the state where the associated thermodynamic potential is a *maximum*.