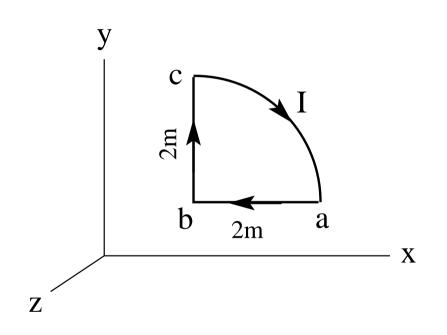


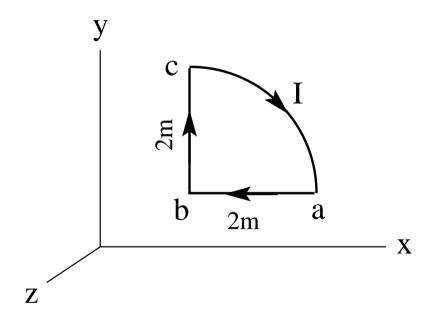
(c) Find the torque $\vec{\tau}$ (magnitude and direction) acting on the loop.





Solution:

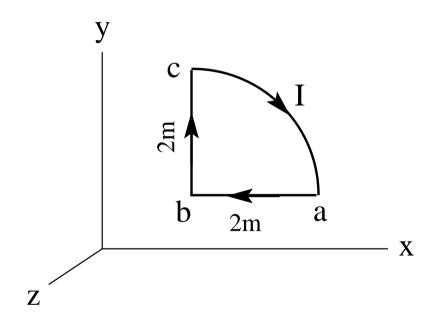
(ia) $\vec{\mu} = (4A)(3.14m^2)(-\hat{k}) = -12.6Am^2\hat{k}.$





Solution:

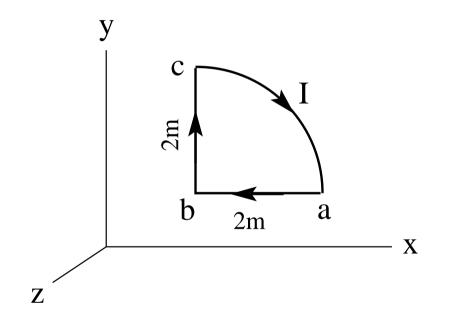
(ia) $\vec{\mu} = (4A)(3.14m^2)(-\hat{k}) = -12.6Am^2\hat{k}.$ (ib) $\vec{F}_{ab} = (4A)(-2m\hat{i}) \times (5T\hat{j}) = -40N\hat{k}.$





Solution:

(ia) $\vec{\mu} = (4A)(3.14m^2)(-\hat{k}) = -12.6Am^2\hat{k}.$ (ib) $\vec{F}_{ab} = (4A)(-2m\hat{i}) \times (5T\hat{j}) = -40N\hat{k}.$ (ic) $\vec{\tau} = (-12.6Am^2\hat{k}) \times (5T\hat{j}) = 63.0Nm\hat{i}$



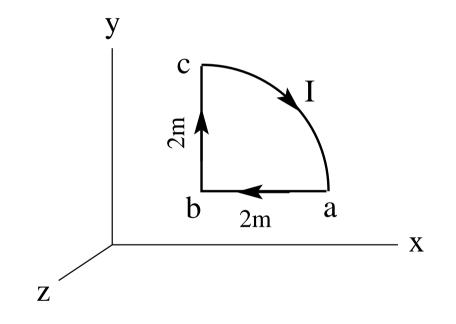


Solution:

(ia)
$$\vec{\mu} = (4A)(3.14m^2)(-\hat{k}) = -12.6Am^2\hat{k}.$$

(ib) $\vec{F}_{ab} = (4A)(-2m\hat{i}) \times (5T\hat{j}) = -40N\hat{k}.$
(ic) $\vec{\tau} = (-12.6Am^2\hat{k}) \times (5T\hat{j}) = 63.0Nm\hat{i}$

(iia) $\vec{\mu} = (3A)(3.14m^2)(-\hat{k}) = -9.42Am^2\hat{k}.$



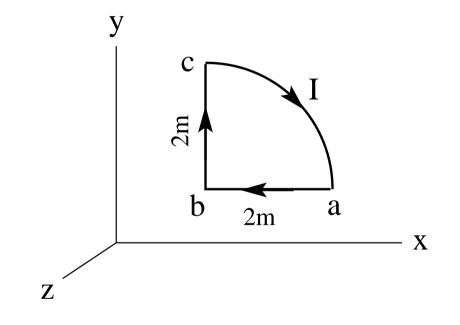


Solution:

(ia)
$$\vec{\mu} = (4A)(3.14m^2)(-\hat{k}) = -12.6Am^2\hat{k}.$$

(ib) $\vec{F}_{ab} = (4A)(-2m\hat{i}) \times (5T\hat{j}) = -40N\hat{k}.$
(ic) $\vec{\tau} = (-12.6Am^2\hat{k}) \times (5T\hat{j}) = 63.0Nm\hat{i}$

(iia) $\vec{\mu} = (3A)(3.14m^2)(-\hat{k}) = -9.42Am^2\hat{k}.$ (iib) $\vec{F}_{bc} = (3A)(2m\hat{j}) \times (-6T\hat{i}) = 36N\hat{k}.$



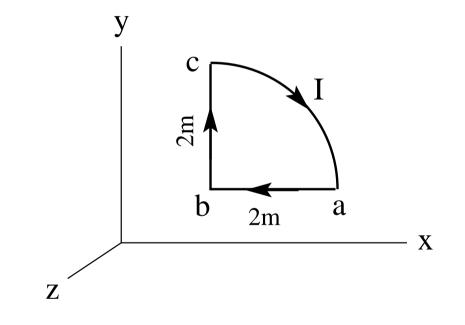


(ia)
$$\vec{\mu} = (4A)(3.14m^2)(-\hat{k}) = -12.6Am^2\hat{k}.$$

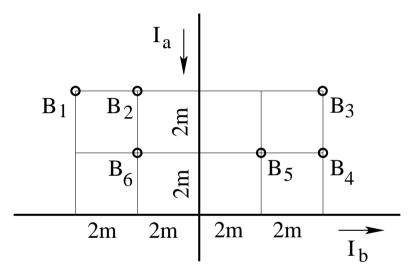
(ib) $\vec{F}_{ab} = (4A)(-2m\hat{i}) \times (5T\hat{j}) = -40N\hat{k}.$
(ic) $\vec{\tau} = (-12.6Am^2\hat{k}) \times (5T\hat{j}) = 63.0Nm\hat{i}$

(iia)
$$\vec{\mu} = (3A)(3.14m^2)(-\hat{k}) = -9.42Am^2\hat{k}.$$

(iib) $\vec{F}_{bc} = (3A)(2m\hat{j}) \times (-6T\hat{i}) = 36N\hat{k}.$
(iic) $\vec{\tau} = (-9.42Am^2\hat{k}) \times (-6T\hat{i}) = 56.5Nm\hat{j}$

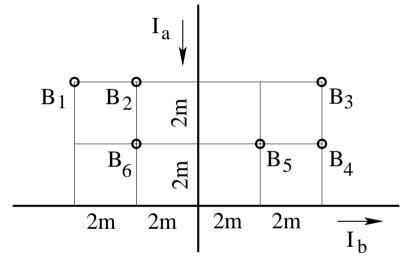






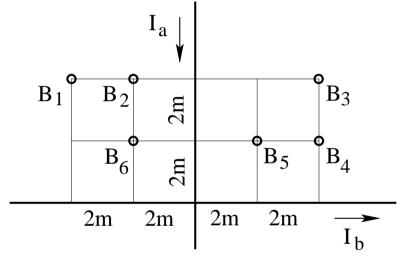


•
$$B_1 = \frac{\mu_0}{2\pi} \left(\frac{6A}{4m} - \frac{6A}{4m} \right) = 0$$
 (no direction).



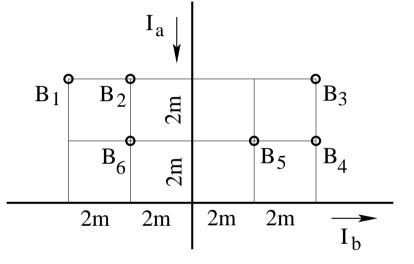


•
$$B_1 = \frac{\mu_0}{2\pi} \left(\frac{6A}{4m} - \frac{6A}{4m} \right) = 0$$
 (no direction).
• $B_2 = \frac{\mu_0}{2\pi} \left(\frac{6A}{4m} - \frac{6A}{2m} \right) = -0.3\mu T$ (into plane)



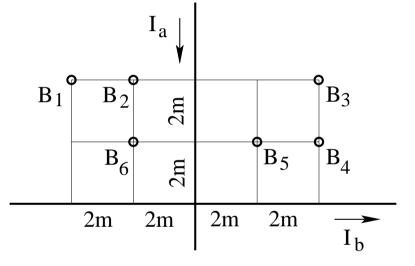


•
$$B_1 = \frac{\mu_0}{2\pi} \left(\frac{6A}{4m} - \frac{6A}{4m} \right) = 0$$
 (no direction).
• $B_2 = \frac{\mu_0}{2\pi} \left(\frac{6A}{4m} - \frac{6A}{2m} \right) = -0.3\mu\text{T}$ (into plane).
• $B_3 = \frac{\mu_0}{2\pi} \left(\frac{6A}{4m} + \frac{6A}{4m} \right) = +0.6\mu\text{T}$ (out of plane).





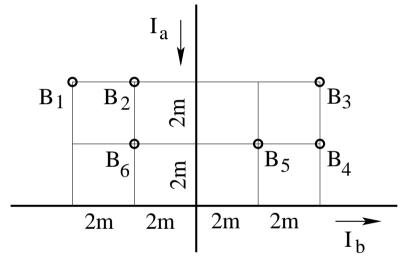
•
$$B_1 = \frac{\mu_0}{2\pi} \left(\frac{6A}{4m} - \frac{6A}{4m} \right) = 0$$
 (no direction).
• $B_2 = \frac{\mu_0}{2\pi} \left(\frac{6A}{4m} - \frac{6A}{2m} \right) = -0.3\mu\text{T}$ (into plane).
• $B_3 = \frac{\mu_0}{2\pi} \left(\frac{6A}{4m} + \frac{6A}{4m} \right) = +0.6\mu\text{T}$ (out of plane).
• $B_4 = \frac{\mu_0}{2\pi} \left(\frac{6A}{2m} + \frac{6A}{4m} \right) = 0.9\mu\text{T}$ (out of plane).





Consider two infinitely long, straight wires with currents of equal magnitude $I_a = I_b = 6A$ in the directions shown. Find direction (in/out) and magnitude of the magnetic fields B_1 , ..., B_6 at the points marked in the graph.

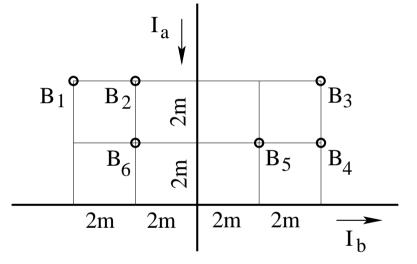
•
$$B_1 = \frac{\mu_0}{2\pi} \left(\frac{6A}{4m} - \frac{6A}{4m} \right) = 0$$
 (no direction).
• $B_2 = \frac{\mu_0}{2\pi} \left(\frac{6A}{4m} - \frac{6A}{2m} \right) = -0.3\mu$ T (into plane).
• $B_3 = \frac{\mu_0}{2\pi} \left(\frac{6A}{4m} + \frac{6A}{4m} \right) = +0.6\mu$ T (out of plane)
• $B_4 = \frac{\mu_0}{2\pi} \left(\frac{6A}{2m} + \frac{6A}{4m} \right) = 0.9\mu$ T (out of plane).
• $B_5 = \frac{\mu_0}{2\pi} \left(\frac{6A}{2m} + \frac{6A}{2m} \right) = 1.2\mu$ T (out of plane).





Consider two infinitely long, straight wires with currents of equal magnitude $I_a = I_b = 6A$ in the directions shown. Find direction (in/out) and magnitude of the magnetic fields B_1 , ..., B_6 at the points marked in the graph.

•
$$B_1 = \frac{\mu_0}{2\pi} \left(\frac{6A}{4m} - \frac{6A}{4m} \right) = 0$$
 (no direction).
• $B_2 = \frac{\mu_0}{2\pi} \left(\frac{6A}{4m} - \frac{6A}{2m} \right) = -0.3\mu$ T (into plane).
• $B_3 = \frac{\mu_0}{2\pi} \left(\frac{6A}{4m} + \frac{6A}{4m} \right) = +0.6\mu$ T (out of plane)
• $B_4 = \frac{\mu_0}{2\pi} \left(\frac{6A}{2m} + \frac{6A}{4m} \right) = 0.9\mu$ T (out of plane).
• $B_5 = \frac{\mu_0}{2\pi} \left(\frac{6A}{2m} + \frac{6A}{2m} \right) = 1.2\mu$ T (out of plane).
• $B_6 = \frac{\mu_0}{2\pi} \left(\frac{6A}{2m} - \frac{6A}{2m} \right) = 0$ (no direction).

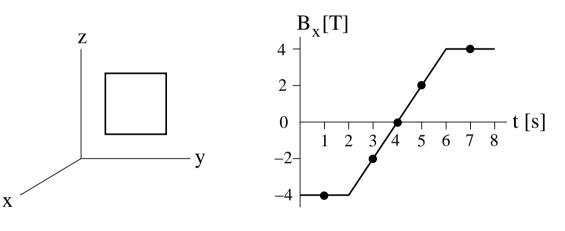




A conducting wire bent into a square of side (i) 1.2m, (ii) 1.3m is placed in the yz-plane. The time-dependence of the magnetic field $\mathbf{B}(t) = B_x(t)\hat{\mathbf{i}}$ is shown graphically. (a) Find the magnitude $|\Phi_B|$ of the magnetic flux through the square at times (i) t = 1s, t = 3s, and t = 4s, (ii) t = 4s, t = 5s, and t = 7s.

(b) Find the magnitude $|\mathcal{E}|$ of the induced EMF at the above times.

(c) Find the direction (cw, ccw, zero) of the induced current at the above times.

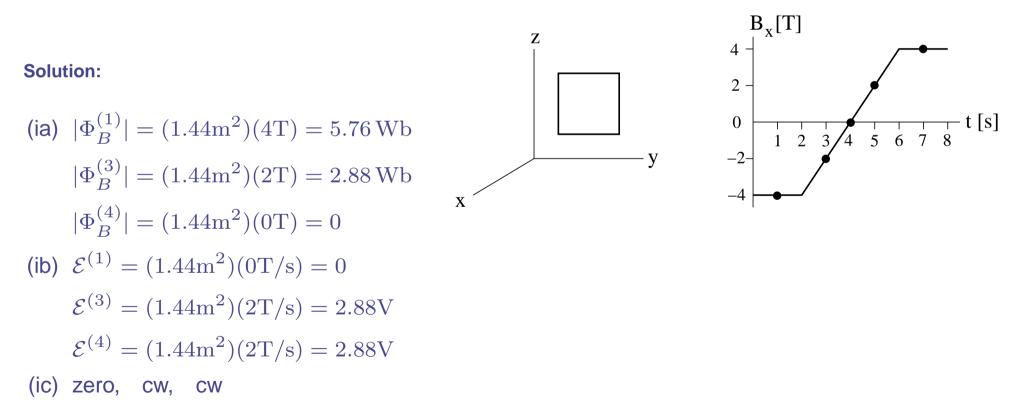




A conducting wire bent into a square of side (i) 1.2m, (ii) 1.3m is placed in the yz-plane. The time-dependence of the magnetic field $\mathbf{B}(t) = B_x(t)\hat{\mathbf{i}}$ is shown graphically. (a) Find the magnitude $|\Phi_B|$ of the magnetic flux through the square at times (i) t = 1s, t = 3s, and t = 4s, (ii) t = 4s, t = 5s, and t = 7s.

(b) Find the magnitude $|\mathcal{E}|$ of the induced EMF at the above times.

(c) Find the direction (cw, ccw, zero) of the induced current at the above times.





A conducting wire bent into a square of side (i) 1.2m, (ii) 1.3m is placed in the yz-plane. The time-dependence of the magnetic field $\mathbf{B}(t) = B_x(t)\hat{\mathbf{i}}$ is shown graphically. (a) Find the magnitude $|\Phi_B|$ of the magnetic flux through the square at times (i) t = 1s, t = 3s, and t = 4s, (ii) t = 4s, t = 5s, and t = 7s.

(b) Find the magnitude $|\mathcal{E}|$ of the induced EMF at the above times.

(c) Find the direction (cw, ccw, zero) of the induced current at the above times.

